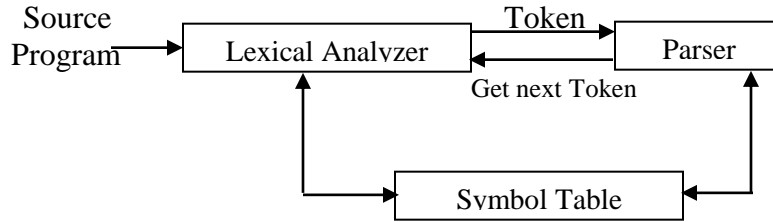


Role of Lexical Analyzer: -

The main task is to read the input characters and produce as output a sequence of tokens that the parser uses for syntax analysis.



After receiving a “get next token” command from the parser, the lexical analyzer reads input characters until it can identify a next token.

Token:-

Token is a sequence of characters that can be treated as a single logical entity. Typical tokens are,

- (a) Identifiers
- (b) Keywords
- (c) Operators
- (d) Special symbols
- (e) Constants

Pattern:-

A set of strings in the input for which the same token is produced as output, this set of strings is called pattern.

Lexeme:-

A lexeme is a sequence of characters in the source program that is matched by the pattern for a token.

Finite Automata

Definition: -

A recognizer for a language is a program that takes as input a string x and answers “yes” if x is a sentence of the language and “no” otherwise.

A better way to convert a regular expression to a recognizer is to construct a generalized transition diagram from the expression. This diagram is called finite automation.

A finite automation can be,

- 1. Deterministic finite automata
- 2. Non-Deterministic finite automata

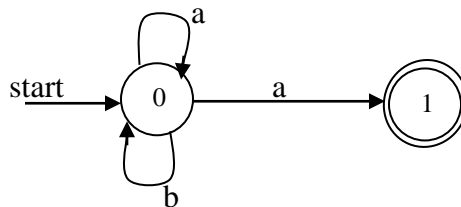
1. Non – deterministic Finite Automata:- [NFA]

A NFA is a mathematical model that consists of,

1. a set of states S
2. a set of input symbol Σ
3. a transition function δ
4. a state S_0 that is distinguished as start state
5. a set of states F distinguished as accepting state. It is indicated by double circle.

Example:-

The transition graph for an NFA that recognizes the language $(a/b)^* a$



The transition table is,

State	Input Symbol	
	a	b
0	0,1	0
1	-	-

2. Deterministic Finite Automata:- [DFA]

A DFA is a special case of non – deterministic finite automata in which,

1. No state has an ϵ – transition
2. For each state S and input symbol there is atmost one edge labeled a leaving S.

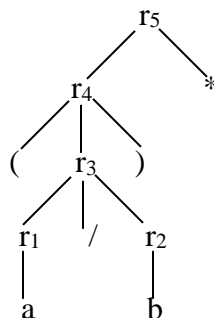
PROBLEM: -

1. Construct a non – deterministic finite automata for a regular expression $(a/b)^*$

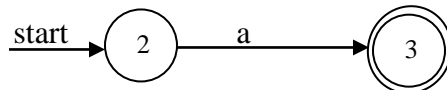
Solution:-

$$r = (a/b)^*$$

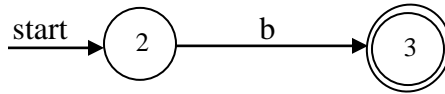
Decomposition of $(a/b)^*$ (parse tree)



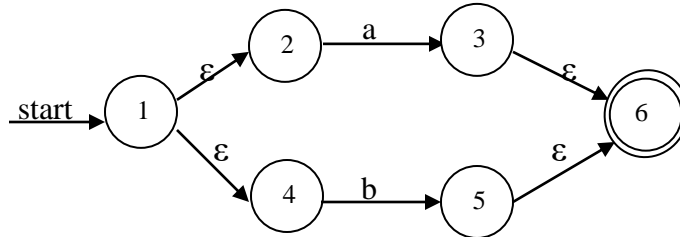
For r_1 construct NFA



For r_2 construct NFA

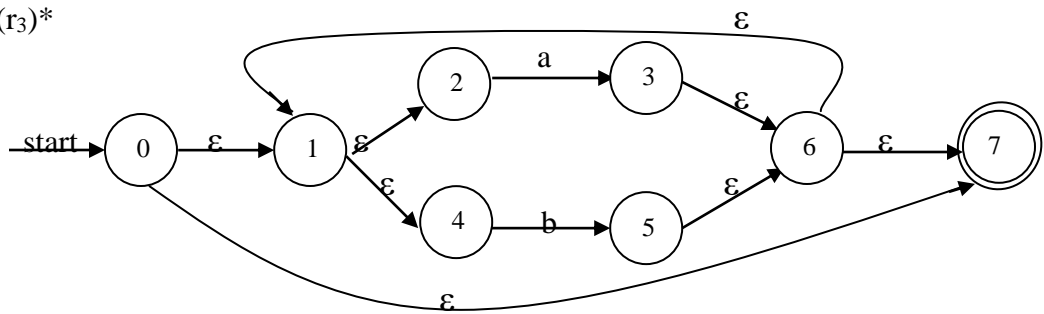


NFA for $r_3 = r_1/r_2$



NFA for r_4 , that is (r_3) is the same as that for r_3 .

NFA for $r_5 = (r_3)^*$

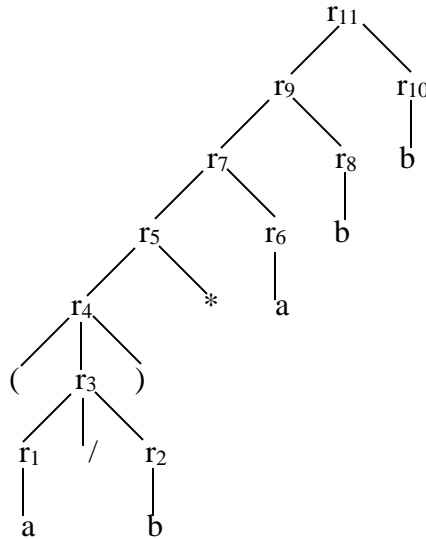


2. Construct a non – deterministic finite automata for a regular expression $(a/b)^*abb$

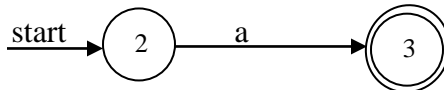
Solution:-

$$r = (a/b)^*$$

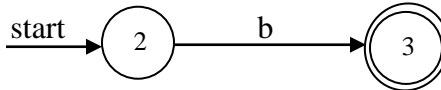
Decomposition of $(a/b)^*abb$ (parse tree)



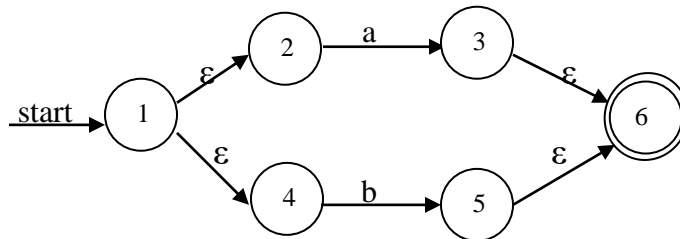
For r_1 construct NFA



For r_2 construct NFA

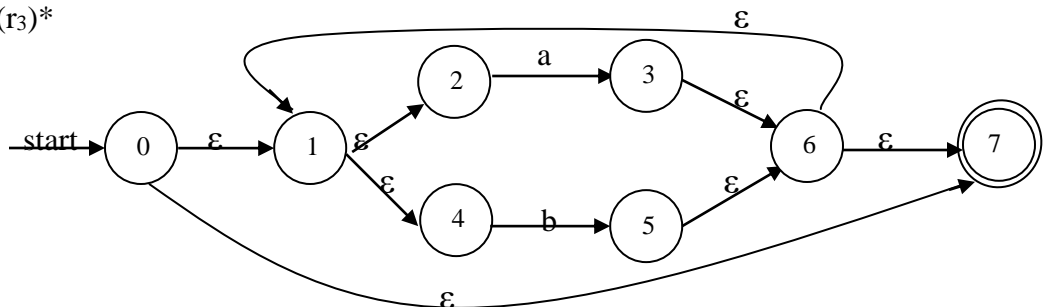


NFA for $r_3 = r_1/r_2$

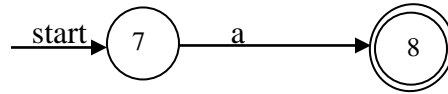


NFA for r_4 , that is (r_3) is the same as that for r_3 .

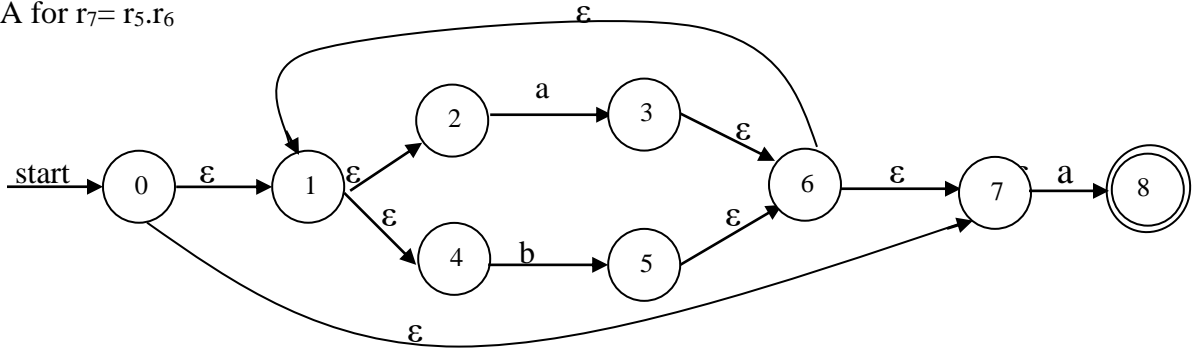
NFA for $r_5 = (r_3)^*$



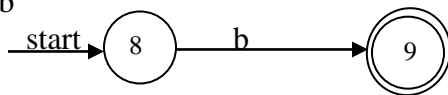
NFA for $r_6 = a$



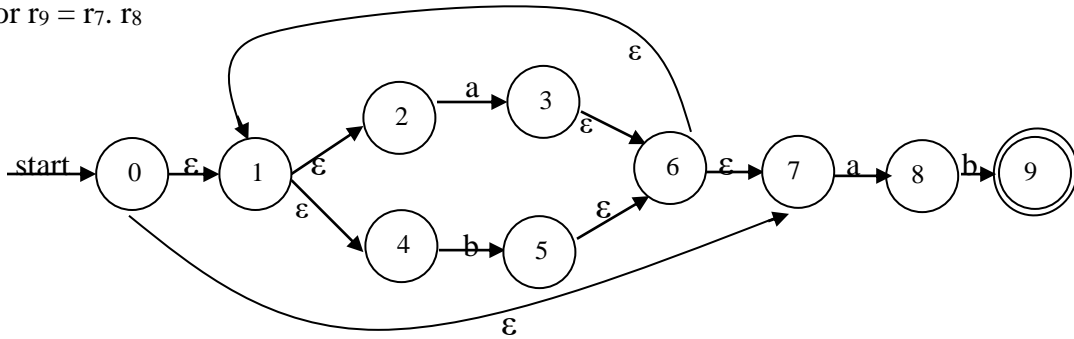
NFA for $r_7 = r_5.r_6$



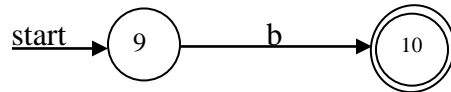
NFA for $r_8 = b$



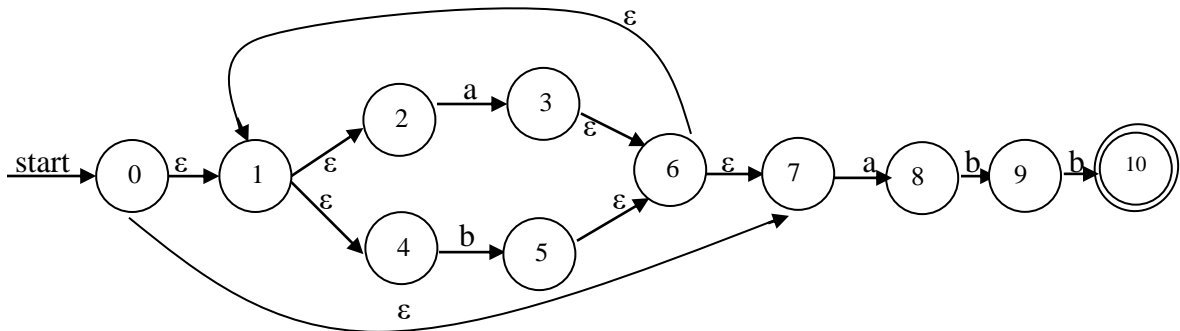
NFA for $r_9 = r_7.r_8$



NFA for $r_{10} = b$



NFA for $r_{11} = r_9.r_{10} = (a/b)^* abb$



References

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