## Trees (3)

## Insert Node

 and Delete Nodeالدكتور
العاني

## Insert Node

Given a sorted list:

5891321444546

## Insert Node

Given a sorted list:

$$
5891321444546
$$

If 14 is inserted, the list become:

$$
58913 \underline{14} 21444546
$$

## Insert Node

Given a sorted list:

$$
5891321444546
$$

If $\underline{14}$ is inserted, the list become:

$$
589131421444546
$$

## Insert Node

Given a sorted list:

$$
\begin{array}{llllllll}
5 & 8 & 9 & 13 & 21 & 44 & 45 & 46
\end{array}
$$

If 14 is inserted, the list become:

$$
\begin{array}{llllllll}
5 & 8 & 9 & 13 & 14 & 21 & 44 & 45 \\
46
\end{array}
$$

FEATURES OF A SORTED LIST IS PRESERVED

## Insert Node

Given a sorted list:

$$
\begin{array}{llllllll}
5 & 8 & 9 & 13 & 21 & 44 & 45 & 46
\end{array}
$$

If 14 is inserted, the list become:

$$
\begin{array}{lllllllll}
5 & 8 & 9 & 13 & 14 & 21 & 44 & 45 & 46
\end{array}
$$

FEATURES OF A SORTED LIST IS PRESERVED WHAT ARE THE FEATURES OF A SORTED LIST????

## Insert Node

Given a BST:

## Insert Node

Given a BST:


## Insert Node

## Given a BST:



If $\mathbf{1 4}$ to be inserted :

## Insert Node

## Given a BST:



If $\mathbf{1 4}$ to be inserted :
How does the new BST look like?

## Insert Node

## Given a BST:



If 14 to be inserted :

How does the new BST look like?
How do you do it?

## Insert Node

## Given a BST:



Are the features of a BST preserved???

## Algorithm to insert 14:

## Insert Node



## Algorithm to insert 14:

## Insert Node

14 < 64 ?


## Algorithm to insert 14:

## Insert Node



## Algorithm to insert 14:

## Insert Node



14 < 33 ?

## Algorithm to insert 14:

## Insert Node



## Algorithm to insert 14:

## Insert Node



## Algorithm to insert 14:

## Insert Node



Try insert 99:

## Insert Node



Try insert 99:


Try insert 99:

## Insert Node



Try insert 99:

## Insert Node



## Insert Node

## This insert algorithm is not very effective

Try building a BST using the
Same algorithm for the following
Sequence:
K NGIC U

## Insert Node

This insert algorithm is not very effective

Try building a BST using the Same algorithm for the following Sequence:

K NGICU

K U CIN G

## Insert Node

This insert algorithm is not very effective

Try building a BST using the
Same algorithm for the following
Sequence:
K N G I C U
K U C I N G
C GIKNU

## Delete Node

## 3 cases node deletion :

- The node to be deleted is a leaf
- The node to be deleted has 1 child
- The node to be deleted has 2 children


## Delete Node: First Case

To delete D :


## Delete Node: First Case

## To delete D :



## Delete Node: First Case

## To delete D :


parent


## Delete Node: First Case

To delete D


## Delete Node: First Case

## To delete D

parent


Set the right child of parent as null

## Delete Node: First Case

To delete D
parent


Set the right child of parent as null

## Delete Node: First Case

To delete D
parent


Set the right child of parent as null
Free $x$

## Delete Node: First Case

## To delete D

parent


Set the right child of parent as null
Free x

## Delete Node: Second Case

## To delete $\mathbf{E}$



## Delete Node: Second Case

To delete $\mathbf{E}$


## Delete Node: Second Case <br> parent

To delete $\mathbf{E}$


## Delete Node: Second Case parent

To delete $\mathbf{E}$

Set the Lchild (@ Rchild) of $\mathbf{x}$ as the Lchild (@ Rchild) of parent

## Delete Node: Second Case parent

To delete $\mathbf{E}$


Set the Lchild (@ Rchild) of $x$ as the Lchild (@ Rchild) of parent

## Delete Node: Second Case parent

To delete $\mathbf{E}$


Set the Lchild (@ Rchild) of $x$ as the Lchild (@ Rchild) of parent Free x

## Delete Node: Second Case parent

To delete $\mathbf{E}$


Set the Lchild (@ Rchild) of $\mathbf{x}$ as the Lchild (@ Rchild) of parent Free x

## Delete Node: Second Case parent

To delete $\mathbf{E}$


Set the Lchild (@ Rchild) of $\mathbf{x}$ as the Lchild (@ Rchild) of parent Free x

## Delete Node: Third Case

To delete $\mathbf{P}$


## Delete Node: Third Case parent

To delete $\mathbf{P}$


## Delete Node: Third Case parent

To delete $\mathbf{P}$
Determine the next node based on Inorder(LNR)

*Usually, the Inorder node has only one child or no children at all

## Delete Node: Third Case parent

## To delete $\mathbf{P}$

Determine the next node based on Inorder(LNR)


## Delete Node: Third Case

 parentTo delete $\mathbf{P}$

Copy


## Delete Node: Third Case

 parentTo delete $\mathbf{P}$

Topy
$\mathbf{x}->$ data $=y->$ data

parent of y

## Delete Node: Third Case parent

To delete $\mathbf{P}$

Copy

$$
x->\text { data }=y->\text { data }
$$



## Delete Node: Third Case parent

To delete $\mathbf{P}$
Copy

$$
\begin{aligned}
& x->\text { data }=y->\text { data } \\
& x=y
\end{aligned}
$$



## Delete Node: Third Case parent

## To delete $\mathbf{P}$

Delete T


## Delete Node: Third Case parent

To delete $\mathbf{P}$
Delete $\mathbf{T}$ (as in case 1 ) parent_y->Lchild = NULL


## Delete Node: Third Case parent

## To delete $\mathbf{P}$

Delete T


